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FIELD EXTENSIONS AND CLIFFORD THEORY

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Abstract. We study Clifford theory in connection with the action of the Galois group of a field extension in the context of group graded algebras.MSC 2010. 16W50, 16D90, 16W22.

Key words. Group graded algebras, G-algebras.

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