# SYMMETRIC LIFTINGS OF QUANTUM LINEAR SPACES

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**Abstract.** We determine all liftings of quantum linear spaces over the group Hopf algebra of an abelian group that are symmetric as coalgebras. In particular we discuss classes of pointed Hopf algebras that appear in several classification theorems.

**MSC 2000.** 16W30.

**Key words.** Hopf algebra, quantum linear space, pointed Hopf algebra, symmetric coalgebra.

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